

Correspondence Analysis script by Gianmarco ALBERTI
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script executed on Sun Sep 29 08:57:01 2013
 number of dimensions to be analyzed selected by the user: 2

* Start of Correspondence Analysis output *

Contingency Table

	Artiodactyl	Lagomorph	Aves	Carnivore	dummy_sp	Sum
roomblock1	195	590	42	21	33	881
roomblock2	307	215	17	6	21	566
roomblock3	414	284	12	2	27	739
roomblock4	51	68	5	0	5	129
roomblock5	58	107	3	1	7	176
roomblock6	81	96	6	4	7	194
Sum	1106	1360	85	34	100	2685

Row profiles (%)

	Artiodactyl	Lagomorph	Aves	Carnivore	dummy_sp
roomblock1	22.13	66.97	4.77	2.38	3.75
roomblock2	54.24	37.99	3.00	1.06	3.71
roomblock3	56.02	38.43	1.62	0.27	3.65
roomblock4	39.53	52.71	3.88	0.00	3.88
roomblock5	32.95	60.80	1.70	0.57	3.98
roomblock6	41.75	49.48	3.09	2.06	3.61
Sum	41.19	50.65	3.17	1.27	3.72

Column profiles (%)

	Artiodactyl	Lagomorph	Aves	Carnivore	dummy_sp	Sum
roomblock1	17.63	43.38	49.41	61.76	33	32.81
roomblock2	27.76	15.81	20.00	17.65	21	21.08
roomblock3	37.43	20.88	14.12	5.88	27	27.52
roomblock4	4.61	5.00	5.88	0.00	5	4.80
roomblock5	5.24	7.87	3.53	2.94	7	6.55
roomblock6	7.32	7.06	7.06	11.76	7	7.23

Association coefficients

X^2 df P(> X^2)
 Likelihood Ratio 277.64 20 0

Pearson 265.43 20 0

Phi-Coefficient : 0.314

Contingency Coeff.: 0.3

Cramer's V : 0.157

=====
Chi-square test
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Pearson's Chi-squared test

data: mydata

X-squared = 265.4271, df = 20, p-value < 2.2e-16

=====
Association between rows and columns
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Total Inertia:

[1] 0.09885554

Square root of the Total Inertia:

[1] 0.314

note:

The square root of the Total Inertia may be interpreted as a correlation coefficient (phi) between the rows and columns.

Any value greater 0.20 indicates important dependency (see also the bar chart provided).

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Correspondence Analysis summary
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Principal inertias (eigenvalues):

dim	value	%	cum%	scree plot
1	0.094837	95.9	95.9	*****
2	0.003270	3.3	99.2	*
3	0.000740	0.7	100.0	
4	8e-06000	0.0	100.0	

Total: 0.098856 100.0

Rows:

	name	mass	qlt	inr	k=1 cor	ctr	k=2 cor	ctr
1	rmb1	328	1000	527	-398	998 548	-17	2 29

2	rmb2	211	998	157	264	946	154	-62	52	248
3	rmb3	275	999	273	312	988	282	33	11	92
4	rmb4	48	373	8	-20	25	0	74	348	81
5	rmb5	66	978	32	-151	477	16	154	501	478
6	rmb6	72	605	4	2	0	0	-57	605	72

Columns:

	name	mass	qlt	inr	k=1	cor	ctr	k=2	cor	ctr
1	Artd	412	1000	541	360	999	563	-9	1	10
2	Lgmr	507	1000	338	-255	989	349	27	11	114
3	Aves	32	914	53	-345	717	40	-181	197	317
4	Crnv	13	958	68	-602	686	48	-379	272	556
5	dmm_	37	555	0	-11	203	0	14	351	2

Guide to the number of Dimensions to take into account

Any axis contributing more than the following percentage should be regarded as important for the interpretation:

[1] 25

note:

For comparison, see the % provided in the Correspondence Analysis summary (above) as well as the bar chart provided.

Besides this rule (i.e. the average rule) see also the Malinvaud's Test table (below) and plot

Malinvaud's Test table

	K Dimension	Eigen value	Chi-square	df	p value
[1,]	0	9.483749e-02	265.42712774	20	0.000000
[2,]	1	3.269800e-03	10.78846592	12	0.547129
[3,]	2	7.403702e-04	2.00905163	6	0.918864
[4,]	3	7.879915e-06	0.02115757	2	0.989477

Dimensionality of the solution. Average rule vs Malinvaud's test:

The Average rule suggests an optimal dimensionality equal to 1 dimensions

The Malinvaud's test suggests an optimal dimensionality equal to 1 dimensions

Major contributors to the definition of dimensions

Any category whose contribution is greater than the following figures (in permills) contributes to the definition of the principal axes:

Rows contribution threshold
[1] 167

Columns contribution threshold
[1] 200

note:

You have to decide whether interpreting row categories in columns space, or viceversa.

Then, according to your decision, see which row or column categories have major contribution to the definition of the axes by locating the ones whose contribution is greater than the above threshold.

For categories' contribution, see: (a) the figures provided in the Correspondence Analysis summary (above) under the label 'ctr'; (b) the charts provided.

Besides, take into account the sign of the coordinates of the category points (under the 'k' label in the CA summary above) to understand which pole (positive and negative) of the axes the categories are actually determining.

Further, after having 'given names' to the axes according to the (row or column) categories relevant to their definition, take a look at the correlation bar chart (provided) in order to understand with which dimension the categories have strong correlation (see Greenacre 2007, p. 86).

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Clusters description (after FactoMineR)
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Row clusters

 Dim 1 Dim 2 clust
roomblock3 -0.311562861 -0.03304395 1
roomblock2 -0.263507372 0.06208084 1
roomblock6 -0.001558809 0.05712720 2
roomblock4 0.019758057 -0.07422214 2
roomblock5 0.150537788 -0.15436665 2
roomblock1 0.398012594 0.01696054 3

Column clusters

 Dim 1 Dim 2 clust
Artiodactyl -0.36012507 0.009086081 1
dummy_sp 0.01072249 -0.014091479 2
Lagomorph 0.25545715 -0.027138625 3
Aves 0.34531946 0.180998832 3

Carnivore 0.60153527 0.378928582 4

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*****  
* List of the Plots provided by this Script *  
*****
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Window 1: -Bar chart of the strenght of the correlation between rows and columns of the input crosstab

-Bar chart of the percentage of Inertia explained by the dimensions

-Malinvaud Test Plot

(note: the Script will plot only the Dimensions that are significant according to the Malinvaud Test)

Window 2: -Bar charts of the Quality of the diplay of Row categories on pairs of successive dimensions

Window 3: -Bar charts of the Quality of the diplay of Column categories on pairs of successive dimensions

Window 4: -Bar charts of the Contribution of Row categories to the Dimensions

Window 5: -Bar charts of the Contribution of Column categories to the Dimensions

Window 6: -Bar charts of the Correlation of Row categories with the Dimensions

Window 7: -Bar charts of the Correlation of Column categories with the Dimensions

Window 8: -CA symmetric Map displaying both Row and Column points

-CA symmetric Map for Rows only

-CA symmetric Map for Columns only

(note: the total number of charts in this Windows depends on the number of Dimensions that have been plotted)

Window 9: -CA Standard Biplots

Windows from 10 onward: -2D CA Maps with clustering (for Rows)

-3D CA Map with clustering (for Rows)

-Clusters Tree with indication of group membership

(for Rows)

-2D CA Maps with clustering (for Columns)

-3D CA Map with clustering (for Columns)

-Clusters Tree with indication of group membership

(for Columns)

(note: the total number of 2D and 3D charts depends

on the number of Dimensions that have been plotted)

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*****  
*                               Note on the Standard Biplot                               *  
*****
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Rows in principal coordinates and columns in standard coordinates times square root of the mass. (Greenacre 2007, pp. 102, 234, 268, 270).
The length of each arrow joining the column points to the origin is related to the contribution that each column category makes to the principal axes.

See: Greenacre 2007, pp. 101-103, 234, 268, 270; Greenacre 2010, pp. 87-88; Greenacre 2013

Reference:

Greenacre 2007: Greenacre M., 'Correspondence Analysis in Practice'. Second Edition. Boca Raton-London-New York, Chapman&Hall/CRC
Greenacre 2010: Greenacre M., 'Biplots in Practice', Fundacion BBVA
Greenacre 2013: Greenacre M., 'Contribution Biplots', Journal of Computational and Graphical Statistics 22(1)

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* End of Correspondence Analysis output *
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